

# Understanding population dynamics of a numerically dominant species at hydrothermal vents: a matrix modeling approach

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## Supplement 1. Estimation of stage survivorship

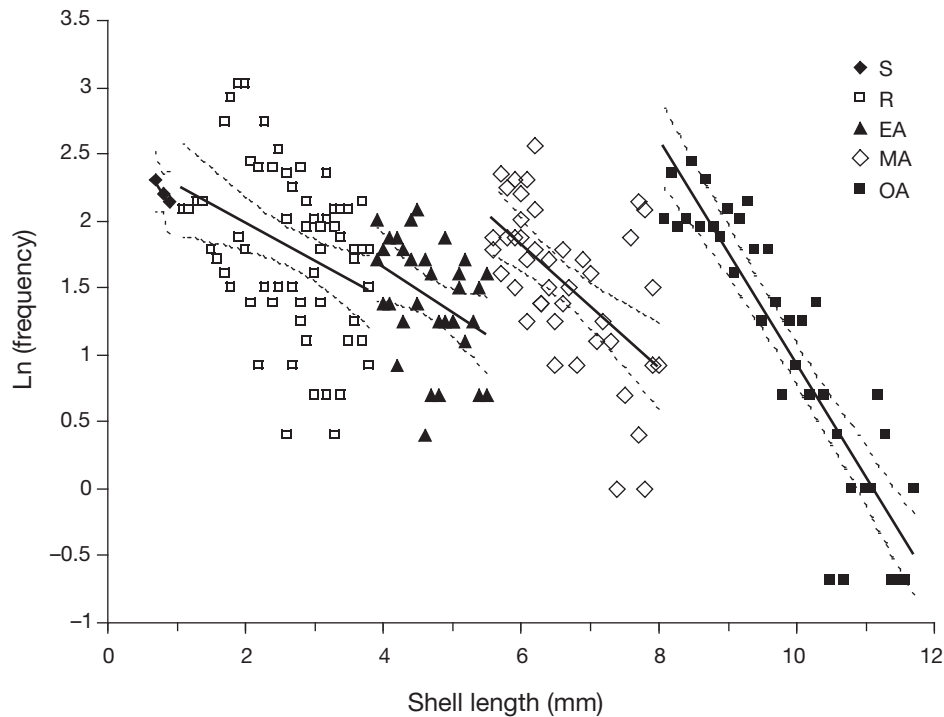


Fig. S1. Linear regressions of  $\ln(N)$  versus shell length (SL, mm) ( $\pm 95\%$  CI) for female *Lepetodrilus fucensis* in 5 stage classes: settler (S),  $\ln(N) = -0.810SL + 2.86$ ,  $r^2 = 0.97$ ,  $p = 0.108$ ; recruit (R),  $\ln(N) = -0.280SL + 2.54$ ,  $r^2 = 0.12$ ,  $p < 0.01$ ; early adult (EA),  $\ln(N) = -0.332SL + 2.97$ ,  $r^2 = 0.14$ ,  $p < 0.05$ ; mature adult (MA),  $\ln(N) = -0.455SL + 4.55$ ,  $r^2 = 0.33$ ,  $p < 0.001$ ; and old adult (OA),  $\ln(N) = -0.842SL + 9.37$ ,  $r^2 = 0.81$ ,  $p < 0.001$ . N: no. of female *L. fucensis*. Data are displayed as points rather than bars for clarity. The slope of the regression line for each stage was used as an estimate of mortality over that stage ( $z_i$ ) (see 'Materials and methods: Matrix model')

Supplement 2. Life-history parameters and population projection matrices for *Lepetodrilus fucensis*

Table S1. *Lepetodrilus fucensis*. Five-stage life-history parameters. Stage duration is given for 3 scenarios of individual growth: slow, intermediate and fast. S: settler; R: recruit; EA: early adult; MA: mature adult; OA: old adult

Stage class		Stage survivorship ( $\sigma_i$ )	Stage duration (mo) ( $d_i$ )			Mean no. of female eggs per adult female ( $m_i$ )
			Slow	Intermediate	Fast	
1	S	0.4437	3.51	1.75	1.17	0
2	R	0.7555	9.79	4.89	3.26	0
3	EA	0.7175	5.93	2.96	1.98	25.00
4	MA	0.6346	8.74	4.37	2.91	150.4
5	OA	0.4307	13.68	6.84	4.56	998.3

Table S2. *Lepetodrilus fucensis*. Five-stage population projection matrix **A** for 3 individual growth rate scenarios (slow, intermediate and fast) and corresponding population growth rate  $\lambda$  ( $\text{mo}^{-1}$ )

Slow growth ( $\lambda = 0.9406$ )					
0.4054	0	16.64	84.74	475.7	
0.03829	0.7310	0	0	0	
0	0.02452	0.6615	0	0	
0	0	0.05604	0.6245	0	
0	0	0	0.01014	0.4307	
Intermediate growth ( $\lambda = 1.234$ )					
0.2853	0	19.72	91.67	475.5	
0.1584	0.7077	0	0	0	
0	0.04780	0.5877	0	0	
0	0	0.1298	0.5999	0	
0	0	0	0.03470	0.4301	
Fast growth ( $\lambda = 1.579$ )					
0.1114	0	23.85	102.1	474.7	
0.3323	0.6737	0	0	0	
0	0.08180	0.4889	0	0	
0	0	0.2286	0.5631	0	
0	0	0	0.07150	0.4276	

Table S3. Stable stage distribution (**w**) and reproductive value (**v**) for the projection matrices generated under 3 different individual growth rate scenarios (slow, intermediate and fast) shown in Table S2. S: settler; R: recruit; EA: early adult; MA: mature adult; OA: old adult

Stage class		Stable stage distribution (%)			Reproductive value		
		Slow	Intermediate	Fast	Slow	Intermediate	Fast
1	S	83.22	75.31	71.39	1	1	1
2	R	15.20	22.66	26.18	14.0	6.0	4.4
3	EA	1.34	1.67	1.96	119.5	66.0	49.0
4	MA	0.24	0.34	0.44	298.0	176.9	129.4
5	OA	<0.01	0.01	0.03	932.9	591.4	411.9

Table S4. Changes to the stable stage distribution (**w**) (%), generated under 3 different individual growth rate scenarios, (slow, intermediate and fast), due to a decrease in larval survival probability ( $\sigma_1^{1/2}$ ) by 50 and 99.5%. Stable stage distribution for basic population projection matrices are given in Table S3. S: settler; R: recruit; EA: early adult; MA: mature adult; OA: old adult

Stage class		-50 %			-99.5 %		
		Slow	Intermediate	Fast	Slow	Intermediate	Fast
1	S	79.65	71.37	67.39	35.26	31.85	29.80
2	R	17.77	25.47	28.94	29.93	34.81	35.86
3	EA	2.11	2.50	2.84	18.60	16.20	15.56
4	MA	0.46	0.62	0.77	14.48	13.66	13.75
5	OA	0.01	0.03	0.06	1.73	3.48	5.03

### Supplement 3. Uncertainty analysis

An uncertainty analysis was conducted to assess the amount of variation in the model predictions of  $\lambda$ , given the sampling variation observed in the parameters (stage survivorship, stage duration, and mean no. of female eggs per adult female,  $\sigma_i$ ,  $d_i$ , and  $m_i$  respectively), by running 2000 Monte Carlo simulations of the model for each individual growth rate (slow, intermediate and fast). At the beginning of each simulation, a value for each parameter was randomly selected from its corresponding distribution. For  $\sigma_i$  and  $d_i$ , we used a normal distribution generated from the mean and standard error of each parameter estimate. For  $m_i$ , we used a uniform distribution between upper and lower values, which were generated from the 95% confidence interval limits in the actual fecundity-shell length relationship (see 'Materials and methods: Matrix model') at the mid-point shell length of each stage. We used the percentile method of Manly (1997) to calculate

the 95% confidence interval of the output of the Monte Carlo simulation.

The broad and overlapping 95% confidence intervals around the predictions of  $\lambda$  for all 3 individual growth rates (slow:  $\lambda = 0.94$ , 95% CI = 0.75 to 1.73; intermediate:  $\lambda = 1.23$ , 95% CI = 0.72 to 1.60; fast:  $\lambda = 1.58$ , 95% CI = 0.72 to 1.72) are a result of the uncertainty associated with the parameter estimates, particularly for  $d_i$ . This relatively high level of uncertainty in the basic model predictions of  $\lambda$  suggests caution in interpreting the longer term predictions of our model.

#### LITERATURE CITED

Manly BFJ (1997) Randomization, bootstrap and Monte Carlo methods in biology, 2nd edn. Chapman & Hall/CRC, New York, NY, p 39–44

### Supplement 4. Length-frequency distributions for established *Lepetodrilus fucensis* populations

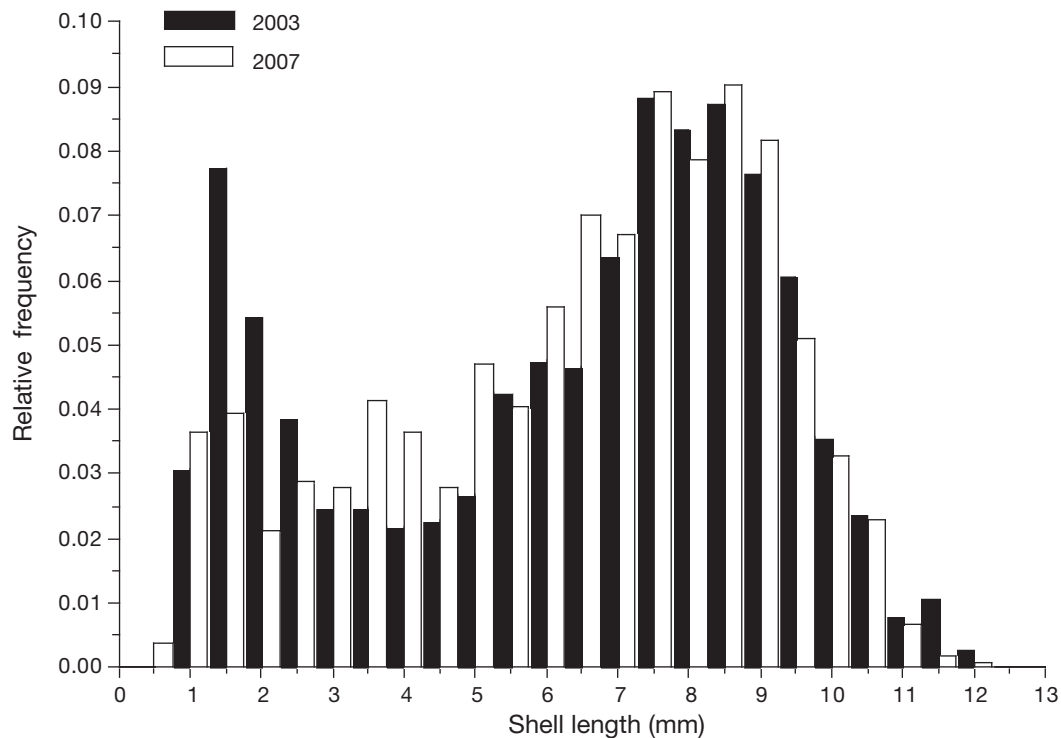


Fig. S2. *Lepetodrilus fucensis*. Length-frequency distributions of established populations collected at the ROPOS vent site, Axial Volcano, in 2003 and 2007. The 2 distributions do not differ significantly from one another (Kolmogorov-Smirnov 2-sample test,  $\alpha = 0.01$ ,  $D = 0.072$ ,  $p > 0.01$ )