## Supplementary materials

## 1. Different grouping of certain organisms

Table S1. Multiple diatom and dinoflagellate species, which contributed $<1 \%$ (absolute) to the biomass (sum for a cruise) for most of the cruises or were only observed rarely, were summarized to "DIATOMS_other" and "DINOs_other", respectively. Heterotrophic nanoflagellates $(H N F) \leq 20 \mu \mathrm{~m}$ were summarized to "HNFcomplex" and autotrophic / mixotrophic flagellates to "FlagellateComplex".

| DIATOMS_other | DINOs_other | HNFcomplex | FlagellateComplex |
| :---: | :---: | :---: | :---: |
| Actinocyclus spp. | Amphidinium spp. | Katablepharis spp. | Prymnesiophyceae |
| Attheya spp. | Amylax sp. | Choanoflagellates | Unidentified autotrophic flagellates |
| Aulacoseira sp. | Cladopyxis sp. | Unidentified heterotrophic flagellates | Prasinopheceae |
| Centrales (unidentified) | Dinophyceae (unidentified) | Leucocryptos marina | Chrysophyceae |
| Cylindrotheca closterium | Dinophysis spp. | Telonema spp. |  |
| Cyclotella sp. | Glenodinium sp. |  |  |
| Diatoma sp. | Gyrodinium spp. |  |  |
| Leptocylindrus minimus | Katodinium sp. |  |  |
| Licmophora sp. | Oblea rotunda |  |  |
| Nitzschia sp. | Peridiniales (unidentified) |  |  |
| Pseudonitzschia sp. |  |  |  |
| Pennales (unidentified) |  |  |  |

## 2. Relative proportions of all 22 taxa considered for the final analyses

Table S2. Summary of relative contributions to the C-biomass of the 22 different plankton taxa considering all the 119 stations.

| Taxonomic unit | Relative proportion [\%] |
| :--- | :---: |
| Achnanthes taeniata | 4.70 |
| Cyanobacteria | 0.70 |
| Chaetoceros spp. | 3.90 |
| Cryptophyta | 0.90 |
| Ebria tripartita | 1.17 |
| Heterocapsa spp. | 1.14 |
| Melosira arctica | 0.79 |
| Mesodinium rubrum | 16.08 |
| Peridiniella catenata | 14.33 |
| Protoperidinium spp. | 1.24 |
| DinoComplex | 12.47 |
| Skeletonema marinoi | 3.31 |
| Thalassiosira baltica | 9.02 |
| Thalassisira levanderi | 3.25 |
| DIATOMS_other | 1.24 |
| DINOs_other | 1.80 |
| Chlorophyta | 0.34 |
| Euglenoideae | 0.48 |
| Ciliates (heterotrophic) | 13.26 |
| HNFcomplex | 3.92 |
| FlagellateComplex | 2.60 |
| Gymnodiniales | 3.35 |
|  |  |

## 3. Environmental variables considered for the redundancy analysis (RDA)

Table S3. List of environmental parameters, including Chl $a$ as a proxy for the bloom phases, that were considered for the RDA forward selection and the labels of significant parameters in the corresponding plot (Fig. 3A). The " x " indicates non-significant results. The distance to the shore (nautical miles) was determined based on the coordinates (WGS84 format) of the sampling stations using ArcGIS and shores of islands with an area of $>100 \mathrm{~km}^{2}$ were considered.

| Environmental <br> variable | Significance <br> $(\boldsymbol{p}$ values $)$ | Label in <br> RDA plot |
| :---: | :---: | :---: |
| Upper mixed layer depth | 0.002 | UMLD |
| Sampling time | x |  |
| Wind speed | x |  |
| Bottom depth | 0.004 | Depth_max |
| Chlorophyll $a$ | 0.002 | Chl $a$ |
| Latitude | 0.002 | Lat |
| Longitude | 0.002 | Long |
| Distance to shore | x |  |
| Temperature | 0.002 | Temp |
| Salinity | x |  |
| Nitrite | x |  |
| Nitrite + Nitrate | 0.006 | NO 23 |
| Ammonium | 0.038 | NH 4 |
| Phosphate | 0.022 | PO4 |
| Dissolved silicate | 0.002 | DSi |

4. Determination of the upper mixed layer depth (UMLD) - Examples for different water columns


Fig. S1. Depth profiles (y-axis: water depth (z) in m; x-axis: stratification index E) of the stratification index E determined in 5 m increments. A) An example for a stratified water column (Gulf of Finland). The table included in the figure shows the actual E values considered to determine the data $\Delta \mathrm{E}$ values to determine the two different UMLD's at this station indicated by the arrows ( $\Delta \mathrm{E}=1.22$, temporary UMLD at $\mathrm{z}=7.5 \mathrm{~m} ; \Delta \mathrm{E}=4.46$, stable UMLD at $\mathrm{z}=17.5 \mathrm{~m}$ ). B) An example for a completely mixed water column. In cases where the depth profile of $E$ did not show a $\Delta E$ of at least 0.9 and thus, featured a linear trend (see red trend line, $r^{2}=0.985$ ), it was decided to set the UMLD to the bottom depth of the station.

## 5. Non-metric multidimensional scaling (NMDS) - Shepard (stress) plots

The stress value for the NMDS plot (Fig. 5) was $\sim 0.20$ and thus, indicates a good representation in the reduced dimensions (NMDS tutorial in R, Lefcheck 2012). The corresponding Shepard plot (stress plot, Fig. S2) did not show a large scatter around the line, indicating that the original dissimilarities were well preserved in the reduced dimensions.


Fig. S2. The Shepard plot (stress plot) for the community ordination (NMDS) including GAM's (Fig. 5): Non-metric fit: $\mathrm{r}^{2}=$ 0.960 , linear fit: $\mathrm{r}^{2}=0.806$.

The selected function is independent of both, the number of parameters chosen, as well as the ordination method used.
6. ANOVA reports - Seston stoichiometry \& gross primary production in different bloom phases (Table 3 in submitted manuscript)

## Chl a:POC

All the data was log transformed first (natural $\log -\mathrm{LN}$ in excel)
One Way Analysis of Variance
Data source: Data 2 in Notebook1
Normality Test (Shapiro-Wilk): Passed $\quad(P=0.647)$
Equal Variance Test (Brown-Forsythe): Passed $\quad(\mathrm{P}=0.629)$
Group Name N Missing Mean Std Dev SEM
$\begin{array}{llllll}\text { Growth } & 45 & 26 & -3.853 & 0.320 & 0.0734\end{array}$
$\begin{array}{llllll}\text { Peak } & 45 & 6 & -3.966 & 0.285 & 0.0457\end{array}$
$\begin{array}{llllll}\text { Decline } & 45 & 0 & -4.345 & 0.382 & 0.0569\end{array}$
$\begin{array}{llllll}\text { Post-bloom } & 45 & 29 & -4.901 & 0.358 & 0.0896\end{array}$
Source of Variation DF SS MS F P
$\begin{array}{lllllll}\text { Between Groups } & 3 & 13.185 & 4.395 & 38.067 & <0.001\end{array}$
$\begin{array}{lllll}\text { Residual } & 115 & 13.277 & 0.115\end{array}$
Total
$118 \quad 26.463$
The differences in the mean values among the treatment groups are greater than would be expected by chance; there is a statistically significant difference ( $\mathrm{P}=<0.001$ ).
Power of performed test with alpha $=0.050: 1.000$
All Pairwise Multiple Comparison Procedures (Tukey Test):
Comparisons for factor:
Comparison Diff of Means $\quad$ p $q \quad$ P $\quad \mathrm{P}<0.050$
Growth vs. Post-bloom $1.047 \quad 4 \quad 12.848<0.001 \quad$ Yes
$\begin{array}{llllll}\text { Growth vs. Decline } & 0.492 & 4 & 7.485 & <0.001 & \text { Yes }\end{array}$
$\begin{array}{llllll}\text { Growth vs. Peak } & 0.113 & 4 & 1.681 & 0.635 & \text { No }\end{array}$
$\begin{array}{llllll}\text { Peak vs. Post-bloom } & 0.934 & 4 & 13.100 & <0.001 & \text { Yes }\end{array}$
$\begin{array}{llllll}\text { Peak vs. Decline } & 0.379 & 4 & 7.210 & <0.001 & \text { Yes }\end{array}$
Decline vs. Post-bloom 0.555 $4 \quad 7.942<0.001 \quad$ Yes

POC:PON
One Way Analysis of Variance
Data source: Data 2 in POC-PON.JNB
Normality Test (Shapiro-Wilk): Passed $\quad(\mathrm{P}=0.425)$
Equal Variance Test (Brown-Forsythe): Failed ( $<0.050$ )
Test execution ended by user request, ANOVA on Ranks begun
Kruskal-Wallis One Way Analysis of Variance on Ranks.
Data source: Data 2 in POC-PON.JNB

| Group | N | Missing | Median | $25 \%$ | $75 \%$ |
| :--- | :---: | :---: | :---: | :---: | ---: |
| Growth | 46 | 27 | 1.978 | 1.950 | 2.010 |
| Peak | 46 | 7 | 2.100 | 2.027 | 2.214 |
| Decline | 46 | 1 | 2.065 | 1.953 | 2.204 |
| Post-bloom | 46 | 30 | 2.014 | 1.900 | 2.116 |

$\mathrm{H}=13.068$ with 3 degrees of freedom. $(\mathrm{P}=0.004)$
The differences in the median values among the treatment groups are greater than would be expected by chance; there is a statistically significant difference $(\mathrm{P}=0.004)$
To isolate the group or groups that differ from the others use a multiple comparison procedure.
All Pairwise Multiple Comparison Procedures (Dunn's Method):
Comparison Diff of Ranks $\quad$ Q $\quad$ P $<0.050$
$\begin{array}{lllll}\text { Peak vs Growth } & 32.381 & 3.355 & 0.005 & \text { Yes }\end{array}$
$\begin{array}{lllll}\text { Peak vs Post-bloom } & 22.163 & 2.164 & 0.183 & \text { No }\end{array}$
$\begin{array}{llll}\text { Peak vs Decline } & 8.961 & 1.187 & \text { 1.000 Do Not Test }\end{array}$
$\begin{array}{lllll}\text { Decline vs Growth } 23.420 & 2.481 & 0.079 & \text { No }\end{array}$
Decline vs Post-bloom13.203 1.315 1.000 Do Not Test
Post-bloom vs Growth10.217 0.873 1.000 Do Not Test
Note: The multiple comparisons on ranks do not include an adjustment for ties.

## POC:POP

One Way Analysis of Variance
Data source: Data 2 in POC-PON.JNB
$\begin{array}{lll}\text { Normality Test (Shapiro-Wilk): } & \text { Passed } & (\mathrm{P}=0.647) \\ \text { Equal Variance Test (Brown-Forsythe): } & \text { Failed } & (\mathrm{P}<0.050)\end{array}$
Test execution ended by user request, ANOVA on Ranks begun
Kruskal-Wallis One Way Analysis of Variance on Ranks.
Data source: Data 2 in POC-PON.JNB

| Group | N | Missing | Median | $25 \%$ | $75 \%$ |
| :--- | :---: | :---: | :---: | :--- | ---: |
| Growth | 46 | 27 | 4.692 | 4.560 | 4.798 |
| Peak | 46 | 7 | 5.088 | 4.711 | 5.259 |
| Decline | 46 | 1 | 4.976 | 4.720 | 5.251 |
| Post-bloom | 46 | 30 | 4.793 | 4.495 | 5.109 |

$H=17.163$ with 3 degrees of freedom. $(\mathrm{P}=<0.001)$
The differences in the median values among the treatment groups are greater than would be expected by chance; there is a statistically significant difference ( $\mathrm{P}=<0.001$ )
To isolate the group or groups that differ from the others use a multiple comparison procedure.
All Pairwise Multiple Comparison Procedures (Dunn's Method):
Comparison Diff of Ranks $\quad$ Q $\quad$ P $<0.050$
$\begin{array}{lllll}\text { Peak vs Growth } & 35.366 & 3.664 & 0.001 & \text { Yes }\end{array}$
$\begin{array}{llll}\text { Peak vs Post-bloom } & 22.603 & 2.207 & 0.164\end{array}$
$\begin{array}{llll}\text { Peak vs Decline } & 3.747 & 0.496 & \text { 1.000 Do Not Test }\end{array}$
$\begin{array}{lllll}\text { Decline vs Growth } & 31.619 & 3.350 & 0.005 & \text { Yes }\end{array}$
Decline vs Post-bloom18.856 $\quad 1.878$ 0.362 Do Not Test
$\begin{array}{llll}\text { Post-bloom vs Growth12.763 } & 1.090 \quad 1.000 \quad \text { No }\end{array}$
Note: The multiple comparisons on ranks do not include an adjustment for ties.

PON:POP
One Way Analysis of Variance
Data source: Data 2 in POC-POP.JNB
Normality Test (Shapiro-Wilk): Passed $\quad(\mathrm{P}=0.679)$
Equal Variance Test (Brown-Forsythe): Failed ( $<0.050$ )
Test execution ended by user request, ANOVA on Ranks begun
Kruskal-Wallis One Way Analysis of Variance on Ranks
Data source: Data 2 in POC-POP.JNB

| Group | N | Missing | Median | $25 \%$ | $75 \%$ |
| :--- | :---: | :---: | :---: | :--- | ---: |
| Growth | 46 | 27 | 2.685 | 2.597 | 2.787 |
| Peak | 46 | 7 | 2.934 | 2.715 | 3.148 |
| Decline | 46 | 1 | 2.895 | 2.673 | 3.117 |
| Post-bloom | 46 | 30 | 2.749 | 2.540 | 2.997 |

$\mathrm{H}=11.757$ with 3 degrees of freedom. $(\mathrm{P}=0.008)$
The differences in the median values among the treatment groups are greater than would be expected by chance; there is a statistically significant difference ( $\mathrm{P}=0.008$ )
To isolate the group or groups that differ from the others use a multiple comparison procedure.
All Pairwise Multiple Comparison Procedures (Dunn's Method):
Comparison Diff of Ranks $\quad$ Q $\quad$ P $\quad \mathrm{P}<0.050$
$\begin{array}{lllll}\text { Peak vs Growth } & 29.186 & 3.024 & 0.015 & \text { Yes }\end{array}$
$\begin{array}{lllll}\text { Peak vs Post-bloom } & 17.736 & 1.732 & 0.500 & \text { No }\end{array}$
$\begin{array}{llll}\text { Peak vs Decline } & 2.323 & 0.308 & 1.000 \text { Do Not Test }\end{array}$
$\begin{array}{lllll}\text { Decline vs Growth } 26.863 & 2.846 & 0.027 & \text { Yes }\end{array}$
Decline vs Post-bloom15.412 1.535 0.749 Do Not Test
Post-bloom vs Growth11.451 $0.978 \quad 1.000 \quad$ No
Note: The multiple comparisons on ranks do not include an adjustment for ties.

## POC:BSi

One Way Analysis of Variance
Data source: Data 2 in PON-POP.JNB
Normality Test (Shapiro-Wilk): Failed $\quad(\mathrm{P}<0.050)$
Test execution ended by user request, ANOVA on Ranks begun
Kruskal-Wallis One Way Analysis of Variance on Ranks.
Data source: Data 2 in PON-POP.JNB

| Group | N | Missing | Median | $25 \%$ | $75 \%$ |
| :--- | :---: | :---: | ---: | :--- | ---: |
| Growth | 46 | 27 | 2.574 | 2.407 | 3.068 |
| Peak | 46 | 7 | 2.235 | 1.819 | 2.717 |
| Decline | 46 | 1 | 2.599 | 2.261 | 3.317 |
| Post-bloom | 46 | 30 | 2.496 | 2.359 | 3.065 |

$\mathrm{H}=10.953$ with 3 degrees of freedom. $(\mathrm{P}=0.012)$
The differences in the median values among the treatment groups are greater than would be expected by chance; there is a statistically significant difference ( $\mathrm{P}=0.012$ )
To isolate the group or groups that differ from the others use a multiple comparison procedure.
All Pairwise Multiple Comparison Procedures (Dunn's Method):
Comparison Diff of Ranks $\quad$ Q $\quad$ P $\quad \mathrm{P}<0.050$
$\begin{array}{lllll}\text { Growth vs Peak } 23.238 & 2.408 & 0.096 & \text { No }\end{array}$
Growth vs Post-bloom $1.638 \quad 0.140 \quad 1.000$ Do Not Test
Growth vs Decline $\quad 1.130 \quad 0.120 \quad$ 1.000 Do Not Test
$\begin{array}{llll}\text { Decline vs Peak } & 22.108 & 2.929 & 0.020 \text { Do Not Test }\end{array}$
Decline vs Post-bloom 0.508 0.0506 1.000 Do Not Test
$\begin{array}{llll}\text { Post-bloom vs Peak } & 21.599 & 2.109 & 0.210 \text { Do Not Test }\end{array}$
Note: The multiple comparisons on ranks do not include an adjustment for ties.

PON:BSi
One Way Analysis of Variance
Data source: Data 2 in POC-BSi.JNB
Normality Test (Shapiro-Wilk): Failed $\quad(\mathrm{P}<0.050)$
Test execution ended by user request, ANOVA on Ranks begun
Kruskal-Wallis One Way Analysis of Variance on Ranks.
Data source: Data 2 in POC-BSi.JNB

| Group | N | Missing | Median | $25 \%$ | $75 \%$ |
| :--- | :---: | :---: | :---: | :---: | ---: |
| Growth | 46 | 27 | 0.626 | 0.423 | 1.075 |
| Peak | 46 | 7 | 0.190 | -0.374 | 0.502 |
| Decline | 46 | 1 | 0.557 | 0.192 | 1.281 |
| Post-bloom | 46 | 30 | 0.543 | 0.325 | 0.952 |

$H=14.599$ with 3 degrees of freedom. $(P=0.002)$
The differences in the median values among the treatment groups are greater than would be expected by chance; there is a statistically significant difference ( $\mathrm{P}=0.002$ )
To isolate the group or groups that differ from the others use a multiple comparison procedure.
All Pairwise Multiple Comparison Procedures (Dunn's Method):
Comparison Diff of Ranks $\quad \mathrm{Q} \quad \mathrm{P} \quad \mathrm{P}<0.050$
$\begin{array}{lllll}\text { Growth vs Peak } & 30.530 & 3.163 & 0.009 & \text { Yes }\end{array}$
$\begin{array}{lllll}\text { Growth vs Decline } & 8.151 & 0.864 & 1.000 & \text { No }\end{array}$
Growth vs Post-bloom 4.434 0.379 1.000 Do Not Test
$\begin{array}{lllll}\text { Post-bloom vs Peak } 26.096 & 2.548 & 0.065 & \text { No }\end{array}$
Post-bloom vs Decline 3.717 0.370 1.000 Do Not Test
Decline vs Peak 22.379 2.965 0.018 Do Not Test
Note: The multiple comparisons on ranks do not include an adjustment for ties.

## Gross primary production (GPP)

One Way Analysis of Variance
Data source: Data 2 in POC-BSi.JNB
Normality Test (Shapiro-Wilk): Failed $\quad(\mathrm{P}<0.050)$
Test execution ended by user request, ANOVA on Ranks begun
Kruskal-Wallis One Way Analysis of Variance on Ranks.
Data source: Data 2 in POC-BSi.JNB

| Group | N | Missing | Median | $25 \%$ | $75 \%$ |
| :--- | :---: | :---: | :---: | :---: | :---: |
| Growth | 46 | 27 | 0.0790 | -0.757 | 0.715 |
| Peak | 46 | 7 | -0.143 | -3.919 | 0.438 |
| Decline | 46 | 1 | -0.732 | -5.151 | 0.0677 |
| Post-bloom | 46 | 30 | -1.423 | -5.323 | -1.030 |

$\mathrm{H}=17.805$ with 3 degrees of freedom. $(\mathrm{P}=<0.001)$
The differences in the median values among the treatment groups are greater than would be expected by chance; there is a statistically significant difference ( $\mathrm{P}=<0.001$ )
To isolate the group or groups that differ from the others use a multiple comparison procedure.
All Pairwise Multiple Comparison Procedures (Dunn's Method):
Comparison Diff of Ranks $\quad$ Q $\quad$ P $\quad \mathrm{P}<0.050$
Growth vs Post-bloom44.681 $3.817<0.001 \quad$ Yes
$\begin{array}{lllll}\text { Growth vs Decline } & 29.324 & 3.107 & 0.011 & \text { Yes }\end{array}$
$\begin{array}{lllll}\text { Growth vs Peak } & 16.086 & 1.667 & 0.573 & \text { No }\end{array}$
$\begin{array}{lllll}\text { Peak vs Post-bloom } & 28.595 & 2.792 & 0.031 & \text { Yes }\end{array}$
$\begin{array}{llll}\text { Peak vs Decline } & 13.238 & 1.754 & 0.477\end{array}$
$\begin{array}{llll}\text { Decline vs Post-bloom15.357 } & 1.529 & 0.757 & \text { No }\end{array}$
Note: The multiple comparisons on ranks do not include an adjustment for ties.

## 7. Community ordination (NMDS) - The effect of different community compositions on seston nutrient stoichiometry

Chla:C C:N




C: P


C: BSi (log)



Fig. S3. Community ordination (NMDS) based on the C-biomass of the 22 taxa. A-F: The six seston ratios. Note, E and F are based on logtransformed $\mathrm{C} / \mathrm{N}$ : BSi data. Symbols are colored by the corresponding ratio and the color scale in $\mathrm{A}(\mathrm{MIN}=$ minimum, $\mathrm{MAX}=$ maximum $)$ is valid for A-F. The black horizontal line separates bloom phases growth and peak from decline and post-bloom based on the community composition and applies to A-F. The four most relevant taxa (based on relative proportions) are represented by grey labels and the font size is equivalent to the biomass-contribution (M. rubrum has the largest font size). The other taxa are shown in black with the same font size for all. Stress value and number of observations ( $n$ ) are valid for A-F. All coefficients of correlation ( $r^{2}$ ) derive from GAM's using the coordinates of each community along the MDS1 as explanatory variables. Seston ratios were the response variables. $p$ values (GAM's) were $<0.0001$ for $\mathrm{A}, \mathrm{C}, \mathrm{D}, \mathrm{E}, \mathrm{F}$ and 0.01 for B .

## 8. References:

Lefcheck J (2012) NMDS tutorial in R. https://jonlefcheck.net/2012/10/24/nmds-tutorial-in-r/ (accessed 10 December 2019)

